Topological field quantization is applied to a unified description of three

macroscopic quantum phases: super conductors, super fluids and quantum

Hall phase. The basic observation is that the formation of connections

identified as join along boundaries bonds makes possible the formation of

macroscopic quantum system from topological field quanta having size of

the order of the coherence length \$\xi\$ for ordinary phase. The presence of

the connections makes possible supra flow and the presence of two levels

of the topological condensate explains the two-fluid picture of super

fluids. In standard physics, the order parameter is constant in the

ground state. In TGD context, the non-simply connected topology of the

3-surface makes possible ground states with a covariantly constant order

parameter characterized by the integers telling the change of the order

parameter along closed homotopically nontrivial loops. Later an alternative identification of connections as K\"ahler magnetic flux tubes

carrying magnetic monopole flux has emerged but does not change the general vision.

The role of the ordinary magnetic field in super conductivity is proposed

to be taken by the \$Z^0\$ magnetic field in super fluidity and the mathematical descriptions of super conductors and super fluids become

practically identical. The generalization of the quantization condition for

the magnetic flux to a condition involving also a velocity circulation,

plays a central role in the description of both phases and suggests a new

description of the rotating super fluid and some new effects. A classical

explanation for the fractional Quantum Hall effect in terms of the topological field quanta is proposed. Quantum Hall phase is very similar

to the supra phases: an essential role is played by the generalized

quantization condition and the hydrodynamic description of the Hall electrons. The role of \$Z^0\$ magnetic field is suggested by large parity

breaking effects in biology.

The results obtained support the view that in condensed matter systems

topological field quanta with size of the order of $xi\simeq 0^{-8}$

-10^{-7}\$ meters are of special importance. This new length scale is expected to have also applications to less exotic phenomena of the condensed matter physics (the description of the conductors and di-electrics and ferromagnetism) and in hydrodynamics (the failure of the

hydrodynamic approximation takes place at this length scale). These field

quanta of course, correspond to only one condensate level and many length

scales are expected to be present.

%\end{abstract}