The construction of K\"ahler geometry of WCW (\blockquote{world of classical

worlds}) is fundamental to TGD program. I ended up with the idea about

physics as WCW geometry around 1985 and made a breakthrough around 1990.

when I realized that K\"ahler function for WCW could correspond to K\"ahler action for its preferred extremals defining the analogs of Bohr

orbits so that classical theory with Bohr rules would become an exact

part of quantum theory and path integral would be replaced with genuine

integral over WCW. The motivating construction was that for loop spaces

leading to a unique K\"ahler geometry. The geometry for the space of 3-D

objects is even more complex than that for loops and the vision still is

that the geometry of WCW is unique from the mere existence of Riemann connection.

This chapter represents the updated version of the construction providing a solution to the problems of the previous construction. The

basic formulas remain as such but the expressions for WCW super-Hamiltonians defining WCW Hamiltonians (and matrix elements of WCW

metric) as their anticommutator are replaced with those following from

the dynamics of the K\"ahler-Dirac action.