

”World of Classical Worlds” (WCW)

WCW

1. consists of of all possible 3-surfaces X^3 in H or by General Coordinate Invariance (GCI) of space-time surfaces $X^4(X^3)$ associated with the 3-surfaces X^3 .
2. is provided with
 - (a) Kähler metric defined by Kähler function identified as Kähler action for preferred extremal $X^4(X^3)$. This implies that classical physics becomes exact part of WCW geometry and thus of quantum theory.
 - (b) spinor structure defined by complexified gamma matrices anti-commuting to WCW Kähler metric
 - i. expressible as linear combinations of fermionic oscillator operators assignable to second quantized induced spinor fields in space-time. Geometrization of statistics.
 - ii. interpreted as generators of super-conformal symmetries.
 - (c) exists mathematically as Kähler geometry only if WCW allows maximal isometry group
 - i. meaning that WCW is union of symmetric spaces labelled by zero modes with isometry group identifiable as symplectic transformations of $\delta M_+^4 \times CP_2$: δM_+^4 is light-cone boundary.
 - ii. Physics is fixed completely by the Kähler geometric existence of WCW. Infinite-D geometric existence unique and thus also physics. Already in string models the Kähler geometry for loop spaces is essentially unique.
 - (d) has rather complex hierarchical structure